

Q1.1 On a multiple choice test, problem A has 4 choices, while problem B has 3. Assume that each problem has 1 correct answer. What is the probability of guessing the correct answer to both of the problems?

A. $\frac{1}{4} + \frac{1}{3}$

B. $\frac{1}{4} \times \frac{1}{3}$

C. $\frac{1}{4} \times \frac{1}{3} + \frac{1}{3} \times \frac{2}{3}$

D. None of the above

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Q1.2 Consider a fair die, and the following three events:

X = rolling any of {1, 2}

Y = rolling any of {2, 4, 6}

Z = rolling any of {1, 4}

In other words, $P(X) = 1/3$, $P(Y) = 1/2$, $P(Z) = 1/3$.

Are events X and Y independent? Are events X and Y independent given event Z?

A. Yes, Yes

B. No, No

C. Yes, No

D. No, Yes

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Q2.1 We have a piece a text:

It was the best of times, it was the worst of times.

Suppose our vocabulary is ["it", "was", "best", "of", "times", "worst"]

What is the bag of words representation of this text?

A. [2, 2, 1, 2, 2, 1]

B. [2, 2, 1, 2, 2, 1] / 6

C. [2, 2, 1, 2, 2, 1] / 10

D. [1, 1, 2, 1, 1, 2] / 10

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Q2.2 We have a corpus containing only the following documents.

Document ID 1: "A time to plant and a time to reap"

Document ID 2: "Time for you and time for me"

Document ID 3: "Time flies"

Given that the stemmed version of the word "flies" is the term "fly", what is the tf-idf of "fly" in document 3?

A. $\log(3)$

B. $\log(3)/3$

C. $\log(2)$

D. $\log(2)/2$

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Q2.3 Given the following two document vectors, what is their cosine similarity?

$$v_a = [0.5, 1, 2]$$

$$v_b = [2, 1, 0.5]$$

A. 0.571

B. 0.99

C. 1.909

D. -0.99

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Q3.1 Suppose “the dog ran away” is our training corpus.

What is $P(\text{ran away})$ if we use a unigram model?

- A. 0
- B. $1/2$
- C. $1/4$
- D. $1/16$

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Q 3.2: Suppose “the dog ran away” is the training corpus. What is $P(\text{ran} | \text{dog})$ if we use a bigram model with Laplace Smoothing?

- A. $1/4$
- B. 1
- C. $2/5$
- D. $1/2$

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