Q1-1: Consider running a genetic algorithm with a mutation probability of 0. Is the mean population fitness at iteration *i*+1 <u>expected</u> to be greater than mean population fitness at iteration *i*?

1. No

2. Yes

Q1-1: Consider running a genetic algorithm with a mutation probability of 0. Is the mean population fitness at iteration *i*+1 <u>expected</u> to be greater than mean population fitness at iteration *i*?

1. No

Q1-2: Consider running a genetic algorithm with a mutation probability of 0. Is the mean population fitness at iteration *i*+1 <u>always guaranteed</u> to be greater than mean population fitness at iteration *i*?

1. No

## 2. Yes

Q1-2: Consider running a genetic algorithm with a mutation probability of 0. Is the mean population fitness at iteration *i*+1 <u>always guaranteed</u> to be greater than mean population fitness at iteration *i*?

1. No



2. Yes

Q1-3: What could go wrong in a genetic algorithm if the mutation probability is 0.95?

- The population would converge to similar states too quickly
- 2. The algorithm would randomly explore the state space
- 3. The cross-over operation would be too slow
- 4. We would be unable to calculate fitness scores

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Q1-4: What could go wrong in a genetic algorithm if the initial population contains the same state *N* times?

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- Q2-1: Consider the Rubik's cube puzzle. The goal is to rotate the cube so that all 6 faces have tiles of the same color. Which is an admissible heuristic?
- The worst case number of moves needed to reach the goal from any initial state

2. 0

- 3. The number of moves needed to solve the face with a blue center tile
- 4. 1 and 2
- 5. 2 and 3



Image from https://www.fiverr.com/dar kdragon532/teach-youhow-to-solve-a-rubikscube-3x3

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Image from https://www.fiverr.com/dar kdragon532/teach-youhow-to-solve-a-rubikscube-3x3 Q2-2: Consider the Rubik's cube puzzle. The goal is to rotate the cube so that all 6 faces have tiles of the same color. Which is an admissible heuristic?

- The number of moves required if we can only rotate the faces up or to the right.
- 2. The number of misplaced edge tiles
- 3. The number of misplaced edge tiles on the blue face minus the number of misplaced edge tiles on the orange face



Image from https://www.cs.huji.ac.il/~ai /projects/2017/heuristic\_% 20search/learning\_heuristi cs\_for\_the\_rubiks\_cube/ Q2-2: Consider the Rubik's cube puzzle. The goal is to rotate the cube so that all 6 faces have tiles of the same color. Which is an admissible heuristic?

- The number of moves required if we can only rotate the faces up or to the right.
- 2. The number of misplaced edge tiles







Image from https://www.cs.huji.ac.il/~ai /projects/2017/heuristic\_% 20search/learning\_heuristi cs\_for\_the\_rubiks\_cube/ Q2-3:  $h_1$  and  $h_2$  are admissible heuristics. Which of the following are also admissible?

1.  $max(h_1, h_2)$ 

2.  $h_1 + h_2$ 

- 3.  $(1-c)^*h_1 + c^*h_2$ , c in [0, 1]
- 4. 1 and 3
- 5. All of the above

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5. All of the above

Q3-1: Which of the following is likely to give the best Temp schedule for simulated annealing?

- 1.  $Temp_{t+1} = Temp_t * 1.25$
- 2.  $\text{Temp}_{t+1} = \text{Temp}_t$
- 3.  $Temp_{t+1} = Temp_t * 0.8$
- 4.  $\text{Temp}_{t+1} = \text{Temp}_t * 0.0001$

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Q3-2: Which of the following would be better to solve with simulated annealing than A\* search?

- 1. Finding the smallest set of vertices in a graph that involve all edges
- 2. Finding the fastest way to schedule jobs with varying runtimes on machines with varying processing power
- 3. Finding the fastest way through a maze
- 4. 1 and 2
- 5. 2 and 3

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